

Introduction To Power System

1) Introduction to Power System

2) Overhead transmission

3) line insulators

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17/04/17
15/05/17
15/06/17

* Typical Transmission and Distribution System Schem.

I Primary Transmission

II Secondary Transmission

III Primary distribution

IV Secondary distribution

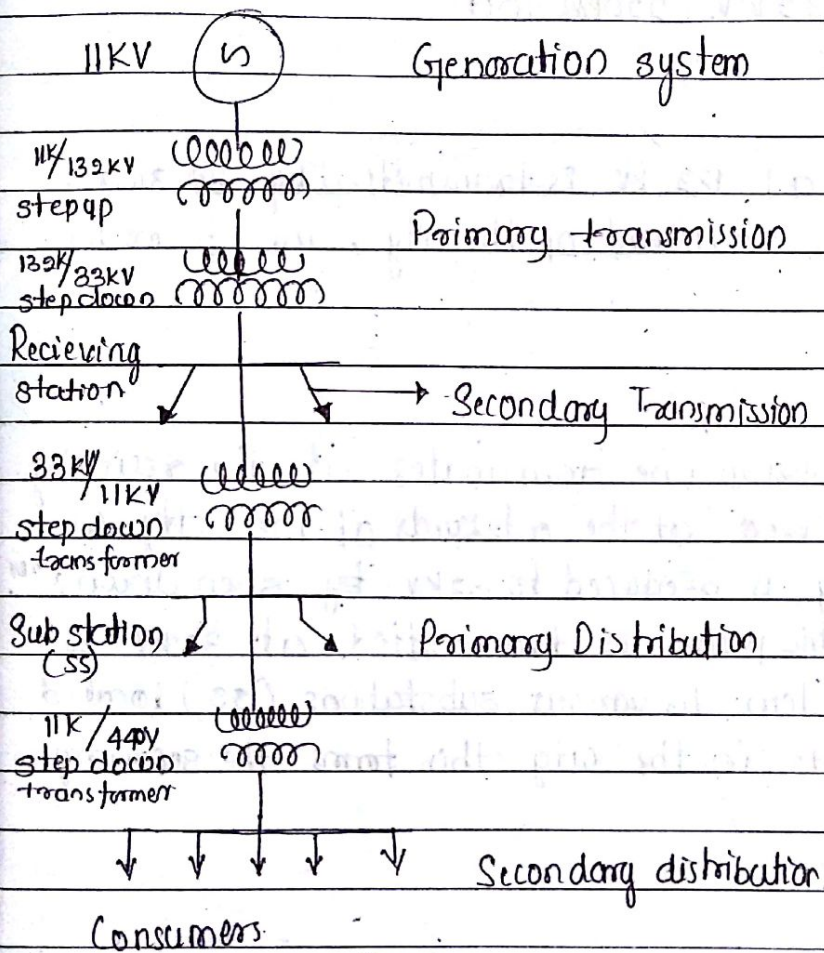


Fig - 1.1

1.2 Generating Station (Gs)

G.S represents the Generating station where electric power is produced by 3 ϕ alternators operating in parallel. The usual generation voltage is 11KV for economic, in transmission

of electric power generation voltage i.e. (11KV) is stepped up to 132KV (or more) at a generating station with help of 3 ϕ X^{trans}

The transmission of electric power at higher level has several advantages including the saving conducting material and high transmission efficiency. It may appear advisable to use the highest possible voltage for transmission of electric power to save conductor material and to have other advantages. But there is a limit to which this voltage can be increased. It is bcz increase in transmission vty introduces insulation problems as well as the cost of switchgear and X^{mer} equipments is increased. Therefore the choice of proper transmission vty is essentially is a question of economy. Generally the primary transmission is carried at 6.6 kV, 13.2 kV, 220 kV & 400 kV.

1.3 Primary Transmission:

The electric power at 132 kV is transmitted by 3 ϕ 3 wire overhead system to the outskirts of the city, this forms the primary transmission.

1.4 Secondary Transmission

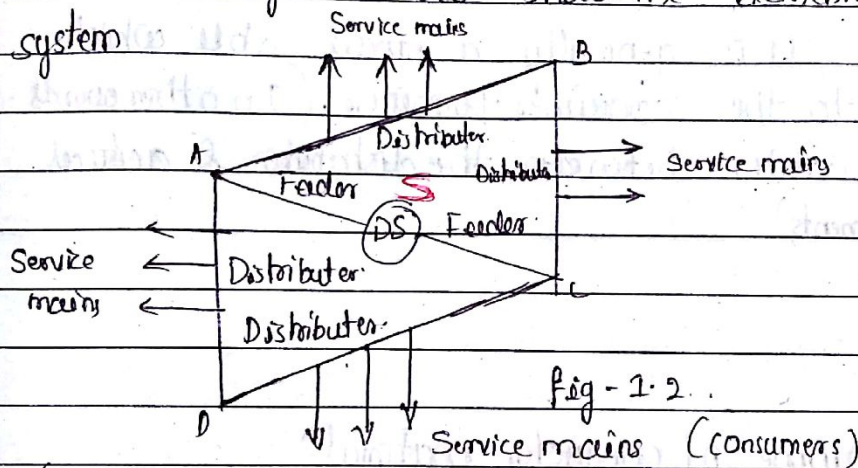
The Primary transmission line terminates at the receiving station which usually lies at the outskirts of the city. At receiving station the vty is reduced to 33 kV by step down X^{mer} . From this station electric power is transmitted at 33 kV by 3 ϕ 3 wire overhead system to various substations (SS) located at the strategic points in the city this forms the secondary transmission.

1.5 Primary Distribution

The secondary transmission line terminates at sub station (SS) where the voltage is reduced from 33 kV to 11 kV. 3 ϕ 3 wire 11 kV lines run along the important roadsides of the city. This forms the primary distribution. It may be noted that big consumer (like HIT) having load of 50 kW are generally supplied power at 11 kV for further handling with their own substation.

1.6 Secondary Distribution

The electric power from primary distribution line (11kV) is delivered to distribution substations (DS). These substations are located at consumer locality and stepped down vty to 440V, 3 ϕ , 4wire for secondary distribution. The voltage between any two lines is 400 or 440V and between any phase to neutral 230 or 240. The single phase residential lighting load is connected betⁿ in any one phase and neutral where as 3 ϕ 400V motor load is connected ^{1.7 Low vty distribution scheme} ~~directly~~ ^{13/3/17} to 3 ϕ lines directly. It may be world wide to mention here that secondary distribution system contains Feeders, distributors and service mains. Fig 1.2 below shows the elements of low vty distribution system



(SC or SA) Feeders radiating from distribution substation (DS) supply power to the distributor (AB, BC, CD & AD). no consumer is given direct connection from the feeder instead the consumers are connected to distributors through service mains

Standard practice for transmission & distribution.

Generation : 66KV, 11KV, 22KV, 33KV

Primary Transmission : It may be 66KV, 132KV, 220KV up to 400KV.

Secondary ^{Transmission} Distribution : 11KV, 22KV, 33KV.

Primary distribution : 6.6KV

Secondary distribution (230 or 240), (400 or 440) 1 ϕ , 3 ϕ resply

1.8 Feeders It is the conductor which connects the substations to the area where the power is to be distributed. generally

No tapping are taken from the feeders so that the current in it remains same throughout. (SA or SC are the Feeders in fig-1.2)

1.9 Distributer It is the conductor from which the tapping are taken for supply to the consumers (AB, BC, CD & on in fig-1.2) The current through the distributor is not constant bcz the tapping are taken from various places ~~between~~ where design a distributor vtg drop along its length is the main consideration since the std limit of vtg variation is $\pm 6\%$ of the rated value at the consumer terminals

1.10 Service Mains It is generally a small cable which connects distributor to the consumer terminals. (In other words these are the small cables between the distributor & electrical consumer premises (equipments))

Advantages of high voltage Transmission.

- I Reduces the volume of conductor material.
- II Increases the transmission efficiency.
- III Reduces % line drop

1.1) Reduces the volume of conductor material.

Consider the transmission of electric power by a 3 ϕ line
let P = Power transmitted in watts V = line vtg in vtg.

$$\cos\phi = \text{p.f. of load}$$

$$L = \text{length of the line in mt}$$

$$R = \text{Resistance / conductor in } \Omega$$

$$\rho = \text{resistivity of conductor material.}$$

$$a = \text{area of cross section of conductor.}$$

$$I = \frac{P}{\sqrt{3} V \cos\phi} \quad (1.1)$$

$$R = \text{resistance / conductor} \quad R = \frac{\rho l}{a} \quad (1.2)$$

$$\text{Total power loss } W = 3I^2 R$$

$$= 3 \frac{P^2}{\sqrt{3}^2 V^2 \cos^2\phi} \frac{\rho l}{a}$$

$$W = \frac{P^2 \rho l}{V^2 \cos^2 \phi a} \quad (1.3)$$

$$\therefore \text{area of cross section} = a = \frac{P^2 \rho l}{V^2 \cos^2 \phi W} \quad (1.4)$$

$$\therefore \text{Volume of conductor required} = V = 3al$$
$$V = \frac{3 \rho P^2 l^2}{V^2 \cos^2 \phi W} \quad (1.5)$$

It is clear from 1.5 that for a given values of P, l, ρ and W the volume of conductor material required is inversely proportional to the square of transmission vty and p.f. In other words the greater the transmission voltage the lesser is the conductor material required.

1.13) Increases the transmission efficiency.

$$\text{Input power} = P + \text{Total losses}$$
$$= P + P^2 \rho l$$
$$V^2 \cos^2 \phi a$$

Assuming J to be current density of conductor. then $a = I/J$

$$\text{Input power} = \frac{P + P^2 \rho l}{V^2 \cos^2 \phi I}$$
$$= \frac{P + P^2 \rho l}{V^2 \cos^2 \phi} \times \frac{\sqrt{3} \cos \phi}{P}$$
$$= \frac{P + \sqrt{3} P J \rho l}{V \cos \phi} \quad (1.6)$$
$$= P \left[\frac{1 + \sqrt{3} J \rho l}{V \cos \phi} \right]$$

$$\text{Transmission efficiency} = \frac{O/P}{I/P}$$
$$= \frac{P}{P \left(\frac{1 + \sqrt{3} J \rho l}{V \cos \phi} \right)}$$

$$= \frac{1}{1 + \frac{\sqrt{3} J \rho l}{V \cos \phi}}$$
$$\text{Transmission efficiency} = \left[\frac{V \cos \phi + \sqrt{3} J \rho l}{V \cos \phi} \right]^{-1} \quad (1.7)$$

A JS and α are constant - transmission efficiency increases when the line voltage increases

1.14 Decreases Percentage line drop

$$\text{Line drop} = IR = I \times \frac{\rho l}{a}$$

$$= I \times \frac{\rho l \times J}{I}$$

$$a = I/J \quad \text{--- (1.8)}$$

$$= \rho l J$$

Line drop = $\frac{J \rho l}{\gamma} \times 100$	(1.9)
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γ - Line drop increases when transmission vty increases

1.15 - Types of Transmission System

1. Overhead Transmission System. :-
2. Underground Transmission System.

1.16 Overhead transmission system :

In this system the transmission of electric power is done by using overhead transmission line, over long distances.

In such a system appropriate spacing is provided between the conductors, at the supports as well as at the intermediate points this spacing provides insulation which avoids an electric discharge occur between the conductors

The transmission by overhead OH system is much cheaper than UG system. Air acts as the insulation. The overhead transmission lines are subjected to faults occurring due to lightning short cut, brackage of line or conductor etc. But OH lines can be easily repaired as compared to UG Transmission sm. It is also true that though such faults are rare, if occurred It is very difficult to find the exact point of the fault as the overhead transmission lines are very long

1.17 Underground transmission system

The cables are generally preferred in UG system. all the cond^r must be insulated from each other in UG s/m as vtg level is high insulation required is more the vtg level used in UG s/m is below 66kV while the vtg levels used in OHTL can be as high as 400kV. the mantance cost of UG s/m is less compared to OHT s/m

It has limited use for distribution in congested areas where safety and good appearance are the main consideration.

1.18 Types of Supporting structure and Conductors used

1.19 Types of Supporting structure.

The supporting str^o for OH Line cond^r are various types of poles and towers called line supports

In general the line supports should have following properties

- I) High mechanical strenght to withstand the weight of conductors and wind loads etc
- II Light in weight without the loss of mechanical strength
- III Cheap in cost and economical to maintain
- IV longer life eisy accessibility of conductor for mentainence

The line supports used for transmission and distribution of electrical power are of various types including wooden poles, steel poles, RCC poles, Lattice, steel towers

The caice of supporting structure for particular case depends upon the line span and cross sectional area, line vtg, local conditions (span - distance betⁿ two supporting str^o)

1.20. Wooden Poles: These are made of seasoned wood (drying of wood before used) and are suitable for lines of moderate crosssection area and relatively shorter spans say up to 50mt. such support are cheap, easily available providing insulating property. ∴ widely used for distribution purposes in rural areas. As an economical proposition the wooden poles are generally tend to rot below the ground level, causing foundation failure. In order to prevent this the portion of pole below the ground is impregnated with

preservative compounds like Creosote oil. Double pole structures of 'A' or 'H' type are often used to obtain a higher transverse strength than could be economically provided by means of single poles.

Main Objections to Wooden Pole supports are :-

- 1) Tendency to rot below the ground level & comparatively smaller life 20-25 years

- 2) Can't be used for high voltage - 20KV
- 3) Less mechanical strength
- 4) Required periodical inspection

1.21 Steel Poles : These are often used for as a substitute for wooden poles. They possess the greater mechanical strength longer life and permits longer span to be used. Such poles are generally used for distribution purposes in cities this type of support need to be galvanized iron in order to prolong its life.

The steel poles are of 3 types

- a) rail poles
- b) tubular poles
- c) Rolled steel joints

1.22 RCC Poles : (Reinforced Cement concrete) the RCC poles are have become more popular as line supports allow longer span they have greater mechanical support and permits longer span than steel poles moreover they give good outlook, required little maintenance & have good insulating property.

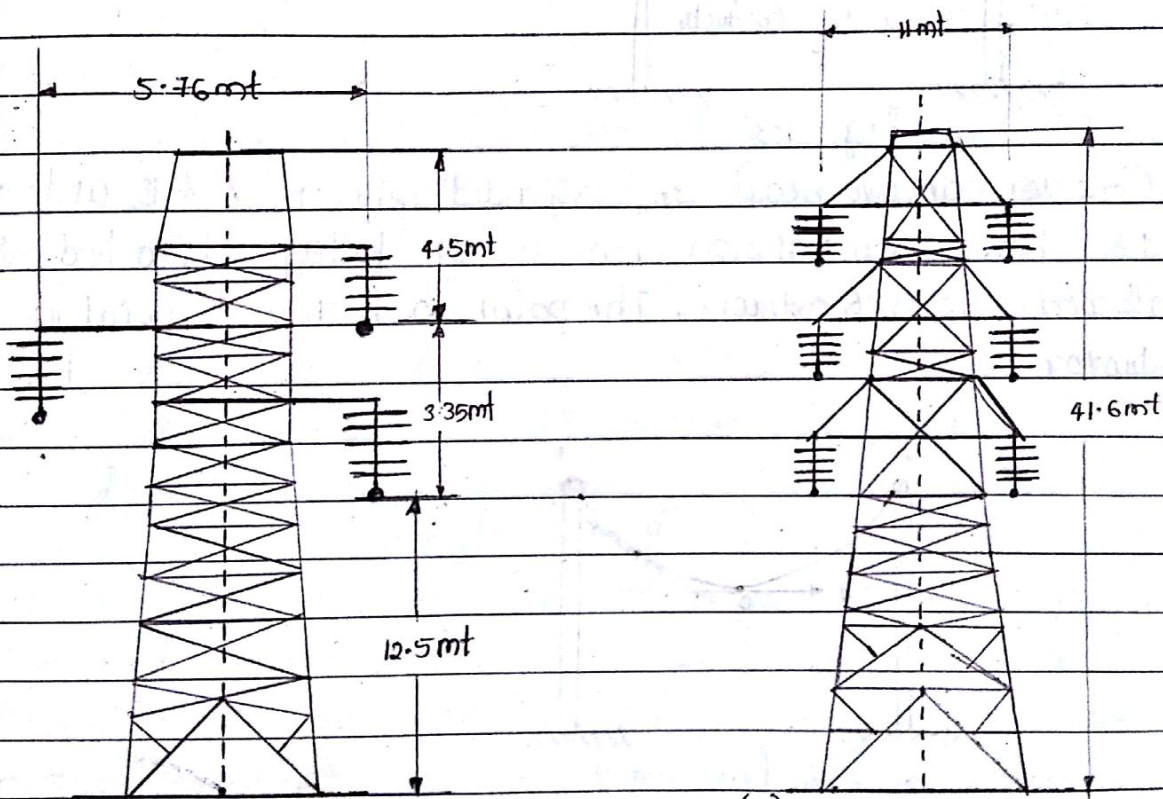
The holes in poles facilitates the climbing of poles & at the same time reduce the weight of line supports. The main difficulty with these poles is the high cost of transporting owing to their heavy weight. ∴ such poles are often manufactured at the site itself in order to avoid heavy cost of transportation.

1.23 Steel Towers : In practice, wooden, steel, concrete poles are used for distribution of low vty stuff up to 11KV however for long distance transmission at higher vty

Steel towers are invariably employed. Steel towers have greater mechanical strength, longer life and can withstand most severe climatic conditions and permit the use of longer spans.

The risk of interrupted service due to broken and punched insulation is considerably reduced owing to longer spans. Tower footings are usually grounded, by driving rods in to the earth. This minimises the lightning troubles as each tower acts as a lightning conductor.

Fig 8.4(i) from VK Mehta Pg-165 shows a single ckt tower. However at a moderate additional cost double ckt tower can be provided as shown in 8.4(ii) from VK Mehta Pg-165. The double ckt has an advantage it insures continuity of supply in case there is a breakdown of one ckt, the continuity of supply can be maintained by the other ckt.



(i) 110kV, span 320m

(ii) 220kV, span 320m

fig - 8.4 Steel Towers

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124 Sag In Overhead Lines

While erecting an overhead line it is very important that conductors are under safe tension. If the conductors are too much stretched between supports in a bid to save conductor material the stress in the conductors may reach an unsafe value and in certain cases the conductor may break due to excessive tension. In order to permit safe tension in the conductor they are not fully stretched but they are allowed to have dip or ~~sag~~ **SAG**.

Definition:- The difference in level between the points of supports and the lowest point on the conductor is called **SAG**.

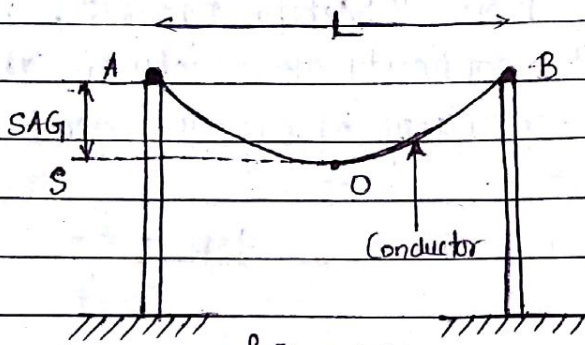


Fig - 1.3

Consider an overhead line suspended between A & B as shown in fig 1.3 here transmission line is not fully stretched but it is allowed to sag down. The point O is lowest point in the conductor.

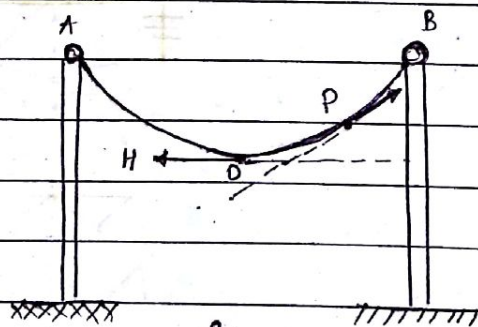


Fig - 1.4

At point O tension is horizontal

At point P tangential tension has two components horizontal component of tension is always constant

1.25 Calculation of SAG and Tension

The two practical cases available are I) supports are at equal level. II) supports are at unequal level.

I) Supports are at equal level

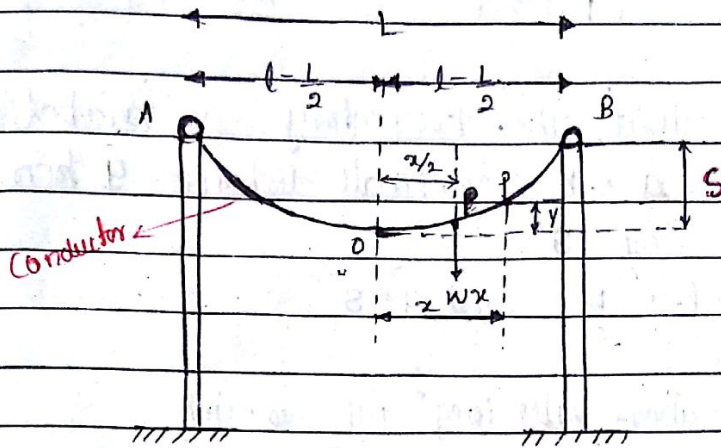


fig-1.5

Consider a conductor supported by supports A & B at the same level as shown in fig-1.5. The point 'O' is lowest point in the trajectory, mathematically it can be proved that point O is at the midspan. Let L = length of the span in meters

W = weight per unit length of conductor in kg/m

T = Tension in the conductor in kg

Consider a point 'P' on the conductor and let point 'O' is origin hence the coordinates of point P are x & y . The length of span ' L ' is large compared to SAG ' S ' hence the shape of the conductor is a form of parabola &

let l = half span length = $(L/2)$. As the curve is very small due to small sag it can be assumed that the length 'OP' is same as the x coordinate of point 'P'

$$l(OP) = x \quad \text{--- (1.10)}$$

Now there are two external forces acting on the portion OP of the conductor

i) Tension (T)

ii) The weight wx which acts at a distance $x/2$ from point 'O'

or 'P' as $OP = x$

The tension T acts in horizontal direction at points. Taking moments of these two forces about point 'P' and equating of these two forces about we get

$$Txy = wx \times \frac{x}{2}$$

$$y = \frac{wx^2}{2T} \quad (1.11)$$

equation (1.11) shows that the trajectory is parabolic in nature at the support A & B. Vertical distance y from the origin 'O' indicates the sag S .

\therefore at A or B $x = l = \frac{L}{2}$ and $y = S$

Substituting above values in eqⁿ 1.11 we get

$$S = \frac{wL^2}{8T}$$

$$S = \frac{wL^2}{8T} \quad (1.12)$$

Where L = Total span length in mt

T = Tension in conductor in kg

w = Weight per unit length of conductor in kg/m

~~3/4/18~~

Problem (1.1) An Overhead line has span of 250 mt. the tension 1500 kg while the conductor weight 750 kg/1000 mt. Calculate the maximum sag on the conductor (supports at equal level)

Given data:

$$L = 250 \text{ mt}$$

$$T = 1500 \text{ kg}$$

$$w = \frac{750}{1000} = 0.75 \text{ kg/mt}$$

Solⁿ The maximum sag is given by

$$S = \frac{wL^2}{8T}$$

$$= \frac{0.75 \times 250^2}{8 \times 1500}$$

$$= \frac{46875}{12000} = 3.91 \text{ mt}$$

II Supports are at Unequal Level

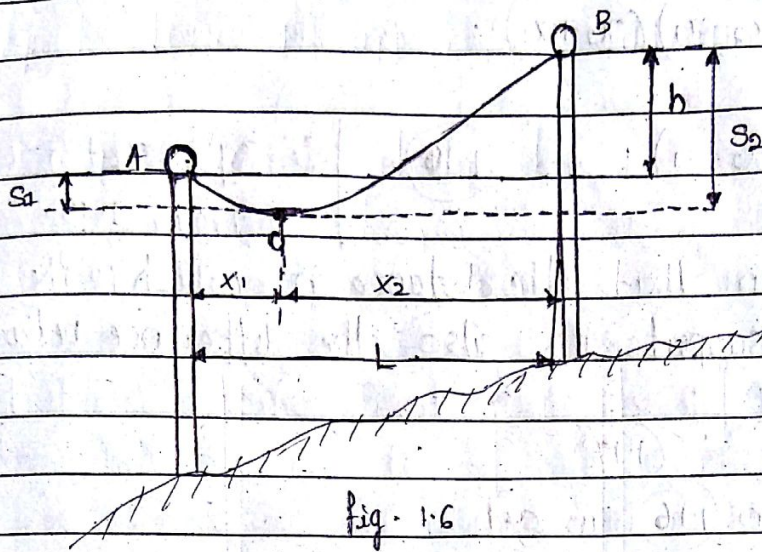


Fig. 1.6

In many situations practically it is not possible to have the supports at the same level, it is necessary to use the supports at different levels in the areas including small hills as shown in fig-1.6

The fig-1.6 shows about an Overhead Line supported at supports A & B which are at unequal levels

Let L = Span length in mt

h = Difference in levels of supports in mt

T = Tension in conductor in Kg

x_1 = Distance of point O from support A

x_2 = Distance of point O from support B

w = Weight per unit length of conductor in kg/mt

Applying results derived in previous sections i.e. eqⁿ (1.11) we can derive $S_1 = \frac{wx_1^2}{2T}$ (1.13) sag at A

$$S_2 = \frac{wx_2^2}{2T} \quad (1.14) \quad \text{sag at B}$$

The sum of x_1 & x_2 will give total span length L .

$$x_1 + x_2 = L \quad (1.15)$$

if x_1 and x_2 are known then then sag S_1 & S_2 can be obtain using eqⁿs 1.13 and 1.14

Subtract eqⁿ 1.13 from 1.14

$$S_2 - S_1 = \frac{wx_2^2}{2T} - \frac{wx_1^2}{2T}$$

$$S_2 - S_1 = \frac{w}{2T} (x_2^2 - x_1^2)$$

$$S_2 - S_1 = \frac{w}{2T} (x_2 - x_1)(x_2 + x_1)$$

$$S_2 - S_1 = \frac{w}{2T} (x_2 - x_1) L \quad \text{--- (1.16)} \quad \left| \begin{array}{l} \because \text{ eqn } x_2 + x_1 = L \\ \text{from 1.15} \end{array} \right.$$

But it can be seen that the distance h which is the difference in levels of supports it is also the difference between two sag S_2 & S_1 .

$$h = S_2 - S_1 \quad \text{--- (1.17)}$$

Substituting in (1.16) we get

$$h = \frac{w}{2T} (x_2 - x_1) L \quad \text{--- (1.18)}$$

From the above exprⁿ $x_2 - x_1$

$$x_2 - x_1 = \frac{2Th}{wL} \quad \text{--- (1.19)}$$

Solving eqⁿ (1.15) & (1.19) simultaneously

$$x_2 + x_1 = L$$

$$x_2 - x_1 = \frac{2Th}{wL}$$

$$2x_2 = \frac{2Th}{wL} + L$$

$$x_2 = \frac{Th}{wL} + \frac{L}{2} \quad \text{--- (1.20)}$$

$$x_1 = \frac{L}{2} - \frac{Th}{wL} \quad \text{--- (1.21)}$$

Once x_1 and x_2 are known sag S_1 and sag S_2 can be calculated.

Imp Ex-16

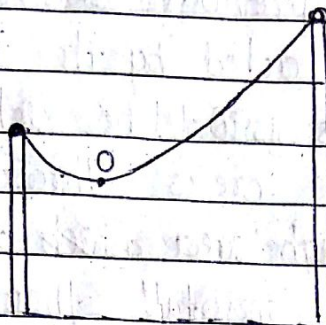
Problem 1.2 The two towers of height 95m & 70m respectively support the line cond^r at a river crossing. The horizontal distance between two towers is 200m. If Tension in

cond^r 1100 kg & weight is 0.8 kg/m. Calculate

- sag at lower support
- sag at upper support

c) Clearance of lowest point on Trajectory from water level

(Assume the bases of towers at water level)



Given Data.

height of tower A = 70m

" " " B = 95m

$$h = 95 - 70 = 25\text{m}$$

$$L = 400\text{m}$$

$$T = 1100\text{kg}$$

$$w = 0.8\text{kg/m}$$

Ex \Rightarrow Formulae required

$$S_1 = \frac{wx_1^2}{2T}, \quad S_2 = \frac{wx_2^2}{2T}$$

$$x_1 = \frac{L - Tb}{2wL}, \quad x_2 = \frac{L + Tb}{2wL}$$

Solⁿ $S_1 = \frac{0.8 \times 400^2 x_1^2}{2 \times 1100}$

$$x_2 = \frac{L + Tb}{2wL}$$

$$x_1 = \frac{L - Tb}{2wL}$$

$$= \frac{400 + 1100 \times 25}{2 \times 0.8 \times 400}$$

$$= \frac{400 - 1100 \times 25}{2 \times 0.8 \times 400}$$

$$= 285.937$$

$$= 114.06$$

$$S_1 = \frac{0.8 \times 114.06^2}{2 \times 1100}$$

$$S_2 = \frac{0.8 \times (285.937)^2}{2 \times 1100}$$

$$S_1 = 4.730$$

$$S_2 = 29.7308$$

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Effect of Atmospheric Condition on Transmission Lines

The expressions derived up till are true in still air and the normal temperature. In these previous derivations we have assumed that the conductor is acted by its weight only

But the performance of transmission line gets affected by the atmospheric conditions in the areas through which it is running. If it is running through areas where winter is severe and the area experiences a snowfall then there is ice coating on TL such coating increases the weight. Similarly in hilly areas like Noida the TL get subjected to tremendous force of wind, such widely varying conditions must be considered in designing TL in calculating sag & Tension in the line condⁿ

Let us study the effect of two severe effect of atmosphere on Condⁿ & Tension

1) Ice Coating

2) Wind Pressure.

1) ~~1) Ice~~

Effect of Ice Coating When the TL is coating with ice the thickness and size of conductor increases this thickness depends weather conditions. This causes increase in weight of the condⁿ. Increase in weight of the condⁿ increases vertical sag the weight of ice acts vertically downwards in the same direction as that of condⁿ weight.

Consider a conductor with diameter 'd'. It is coated with ice of thickness 't' as shown in fig-1.7 hence overall diameter of conductor after snowfall is 'D'. It can be seen that:

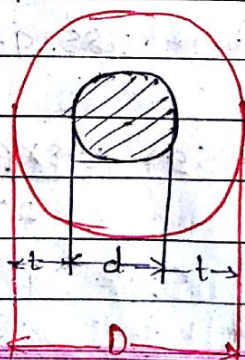


Fig - 1.7

$$D = d + 2t \quad \text{--- (1.22)}$$

∴ the area of coated condⁿ is

$$A = \frac{\pi}{4} D^2 \quad \text{--- (1.23)}$$

hence the area of Ice covering

$$A_i = \frac{\pi}{4} (D^2 - d^2) \quad (1.24)$$

If D & d are in m . this area A_i is in m^2

i.e. Volume of Ice is in m^3 per m length of the conductor knowing the density of Ice is 915 kg/m^3 the total weight of the Ice can be obtained as

$$W_i = 915 \text{ kg/m}^3 \times A_i$$

$$W_i = 915 \frac{\pi}{4} (D^2 - d^2) \text{ kg/m} \quad (1.25)$$

W_i = weight of Ice per unit length.

This weight W_i acts vertically downwards

Now $D = d + 2t$ substituting in above eqⁿ

$$W_i = 915 \frac{\pi}{4} ((d+2t)^2 - d^2)$$

$$= 915 \frac{\pi}{4} (d^2 + 4t^2 + 4dt - d^2)$$

$$= 915 \frac{\pi}{4} (4t^2 + 4dt)$$

$$W_i = 915 \pi t (t + d) \quad (1.26)$$

In general weight of Ice per unit length =

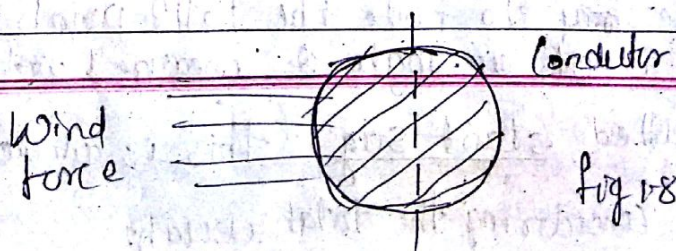
$$W_i = \text{density of Ice} \times \pi t (d + t) \text{ kg/m}$$

where d = original cond^r diameter

t = thickness of Ice coating

2) Effect of Wind Pressure

The wind pressure flows horizontally and hence wind pressure on the cond^r is considered to be acting \perp to the cond^r thus force due to wind acts at right angles to the projected surface of the cond^r as shown in fig 18



The wind force W_w can be obtained as

$$W_w = \text{wind force per unit length in kg/m} \\ = \text{Wind pressure per unit area in to projected surface} \\ \text{area per unit length}$$

$$W_w = \text{Wind pressure} \times \text{proj} [(d+t) \times 1]$$

$$W_w = P \times (d+t) \quad \text{--- (1.27)}$$

Where 'P' = Wind pressure in kg/m^2

d = diameter of the conductor

t = Thickness of Ice coating if exists

hence the cond^r gets acted upon by two additional forces the one vertically down words W_i and the other in horizontal direction W_w

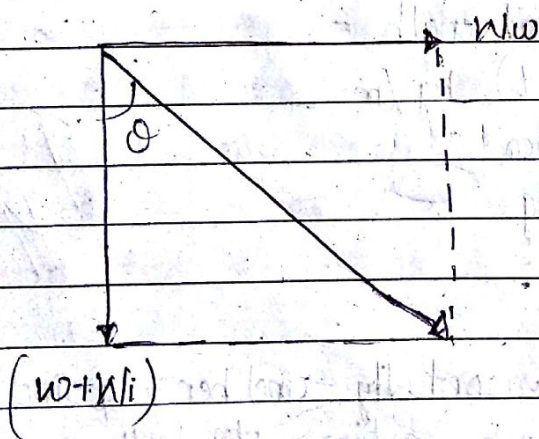
Effects of Ice and Wind.

Let W = weight of the cond^r act^g vertically down

W_i = weight of Ice coating acting vertically down

W_w = wind force acting horizontally

Hence the total force acting on the conductor is vector sum of horizontal and vertical forces



Thus W_T = Total weight acting on the conductor

$$W_T = \sqrt{(W+W_i)^2 + W_w^2} \quad \text{--- (1.28)}$$

Hence it is necessary to note the foll^g points.

1) The sag direction is at an angle θ measured wrt vertical

hence this sag is called slant sag (this is calculated by exp^r derived earlier considering the total weight)

$$\text{Slant Sag} = \frac{Wl^2}{8T} \quad \text{--- 1.29}$$

The conductor adjusts itself in plane which is at an angle θ wrt vertical.

$$\tan \theta = \frac{Wl}{(wtWi)} \quad \text{--- 1.30}$$

As slant sag is 'S' in the direction of an angle θ wrt vertical. The Vertical sag is cosin component of slant sag.

$$\text{Vertical sag} = \text{Slant sag} \times \cos \theta$$

$$\text{Vertical sag} = S \times \cos \theta \quad \text{--- (1.31)}$$

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Line Vibration - And Vibration dampers

Over head line Protection against Lightning & Ground wires

1.26 Overhead Line Insulators

Introduction

Overhead line conductors are bare without any insulating covering over them. While the metal structure in the form of towers is used to support such live conductors, to avoid the flow of current to the earth from live conductors through supports there must be safe clearance betⁿ live conductors and supports & hence the insulators are used in between live conductors & the supports. The main function of insulator is to provide perfect insulation between live conductors and supports & to prevent any leakage current from the live conductors to the earth through the supports.

Properties of Insulators

In general the insulators should have the follⁿ desirable prop^t

- 1) High mechanical strength in order to withstand condⁿ load winds
- 2) High electric resistance of insulator material in order to avoid leakage % to earth
- 3) High relative permirability of insulator material in order the dielectric strength is high
- 4) The insulator material should be non porous free from impurities & cracks otherwise the permittivity will be lowered
- 5) High ratio of puncture strength to flashover

The most commonly used material for insulators of OH line is porcelain but glass

~~Top~~

1.2 Types of Insulators

The use of proper insulator is an important part of the mechanical design of the overhead lines.

The various type of insulators are-

- 1) Pin type of insulators
- 2) Suspension type of insulator
- 3) Strain insulator
- 4) Shackle insulator
- 5) Stay insulators

1) Pin type of Insulators

As the name suggests the pin type insulator is secured to the cross arm on the pole. There is groove on the upper end of the insulator for housing the conductor.

The conductor passes through the groove and is bound by annealed wire of the same material as the conductor.

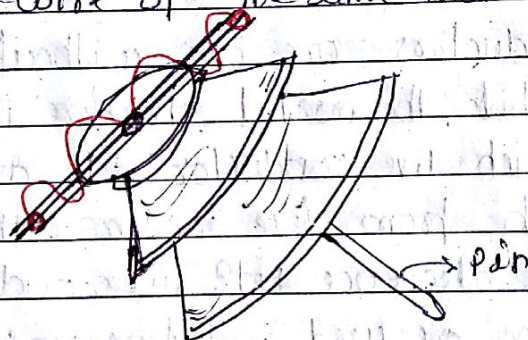


fig 1.9

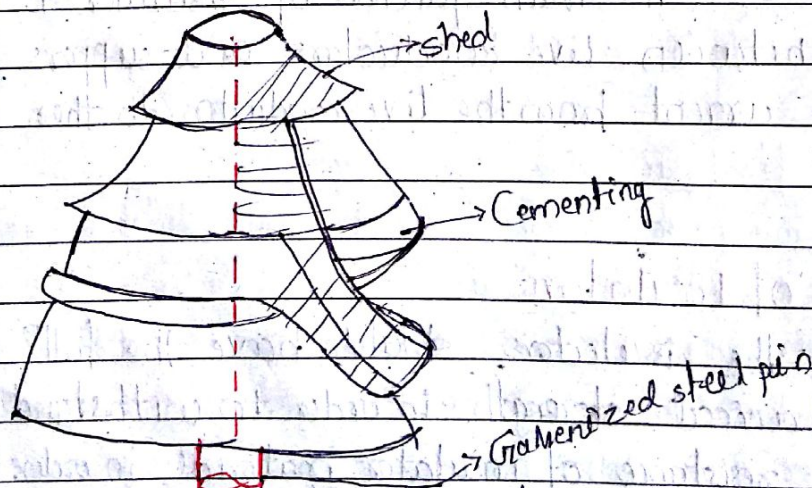
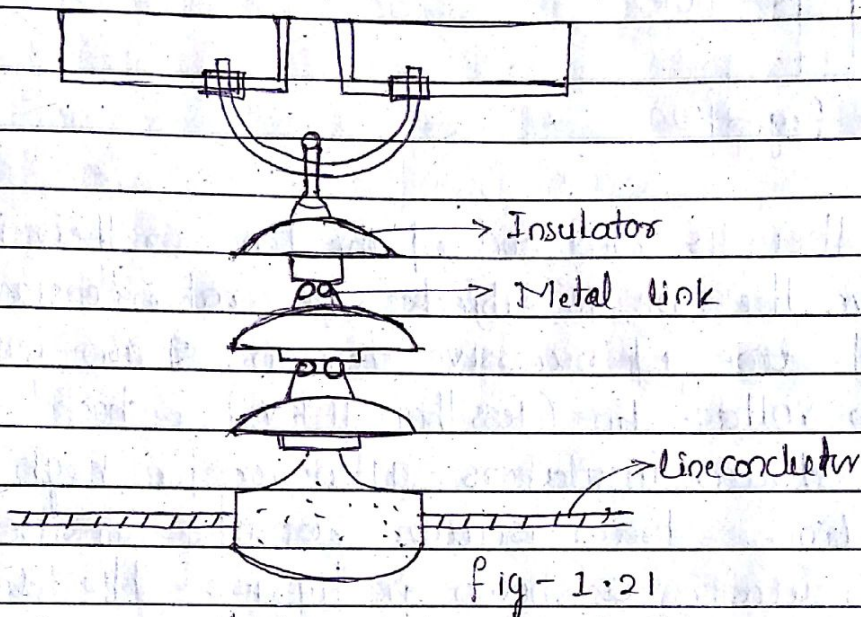


fig 1.20

Pin type of insulator is used for transmission & distribution at vltgs up to 33 kV. Beyond operating voltage of 33 kV the pin type insulators become too bulky and hence uneconomical.

2) Suspension type of Insulator

The cost of pin type insulators increases rapidly as the working v_{tq} increases and this type of insulators are not economical beyond 33 kV. For high v_{tq}s above 33 kV it is usual practice to use suspension type insulators - as shown in the fig below



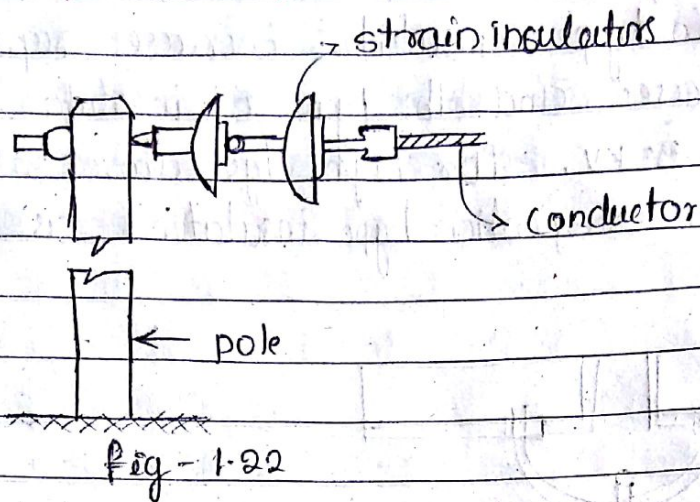
They consist of no. of porcelain discs connected in series by metal links in the form of string. The conductors are suspended at bottom end on this string while the other end of string is secured with cross arm of the tower. Each unit or disc is designed for say 11 kV. The no. of discs in series obviously depends upon the working v_{tq} for instance working v_{tq} is 66 kV then 6 discs will be provided in series on the string.

Advantages

- 1) Cheaper than pin insulators beyond 33 kV
- 2) each unit or disc is designed for low v_{tq} 11 kV
- 3) If one disc is damaged it can be replaced by another one
- 4) Suspension give flexibility.
- 5) If Transmission demand increases we can increase the no. of disc in series
- 6) They are used in steel towers, if lightning occurs it goes to ground through support

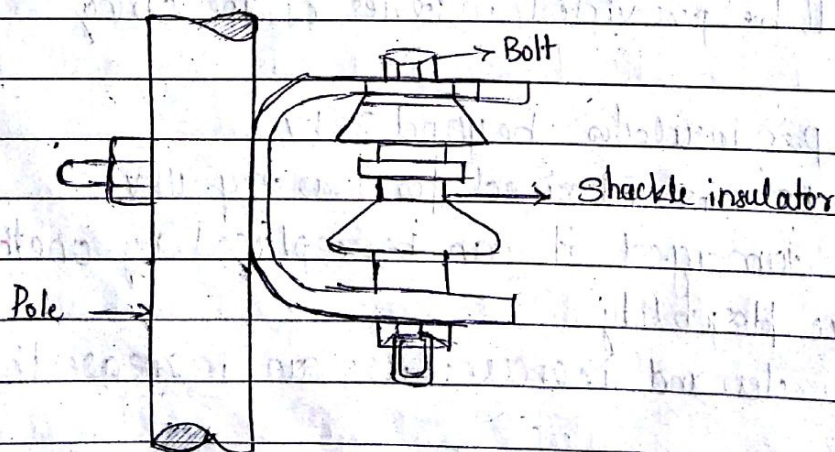
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3) Strain Insulators



When there is dead-end of the line or there is a corner or sharp curve the line is subjected to greater tension. In order to relieve the line of excessive tension, strain insulators are used for low-voltage line (less than 11 kV), shackle insulators are used as strain insulators. However for high-voltage transmission line, strain insulator consists an assembly of suspension insulator as shown in fig 1.22. The discs of strain insulators are used in the vertical plane. When the tension in the line is exceedingly high, as at long spans, two or more strings are used in parallel.

4) Shackle Insulators



In early days shackle insulators were used as stay insulators but now a days they are frequently used for low v_tg distribution lines. Such insulators can be used either in horizontal or vertical position they can be directly fixed to the pole with the bolt or the cross arm. Fig 4.23 shows a shackled insulator fixed to the pole the conductor in the groove is fixed with soft binding wire.

(5) Stay Insulators

Stay insulators give protection in the event of accidental broken live wire that accidentally energizing a stay wire and remaining in contact with line which doesn't trip in such cases the bottom portion of stay would have no voltage due to insulation stay insulator will normally be installed in middle of stay wire.

Three types of stay insulators are generally used for aerial and railway these are

* 1.1 KV stay

* 15 KV stay

* 36 KV stay

VVI imp

1.28 Potential Distribution Over Suspension Insulator String

A string suspension insulators consists of a no. of porcelain discs connected in series through metallic links. Fig 1.25 shows 3-discs string of suspension insulator.

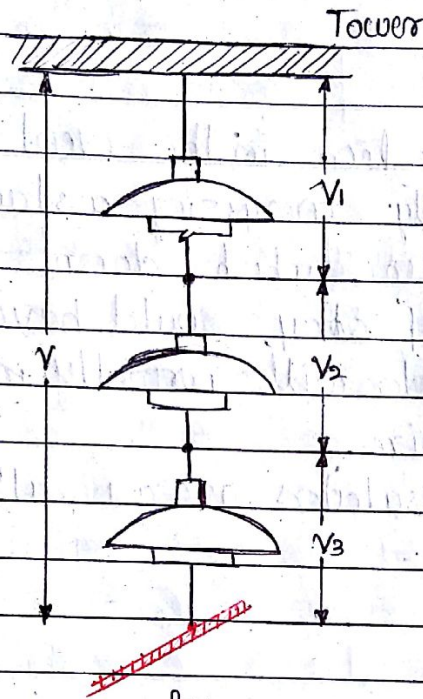


Fig 1.26

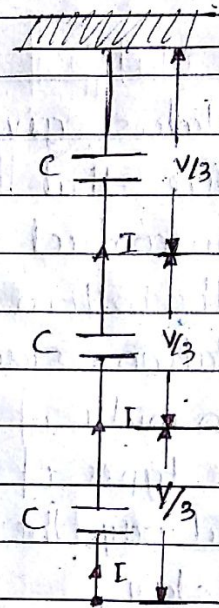


Fig-1.27

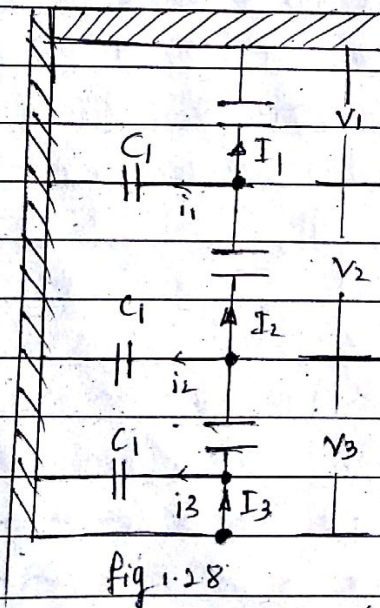


Fig 1.28

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The porcelain portion in between the two metal links \therefore each disc forms a capacitor C as shown fig 1.27. This known as mutual capacitance or self capacitance. If there were mutual capacitance

alone, then charge current would have been same through all the discs and consequently the vtg a/c each unit would have been the same i.e. $V/3$ as shown in fig-1.27. However in actual practice another capacitance exists betⁿ metal fitting of each disc of tower or earth. This known as shunt capacitance G due to shunt capacitance changing current is not the same through all the discs of the string as shown in fig 1.28. There for vtg a/c each disc will be different. Obviously, the disc nearest to the line conductor will have the maximum vtg. Thus referring to fig 1.28 V_3 will be much more than V_2 or V_1 . The follⁿ points may be noted regarding the potential distribution over

- i) The voltage impressed on string of suspension insulators does not distribute itself uniformly a/c the individual discs due to the presence of shunt capacitance
- ii) The disc nearest to the conductor has maximum vtg a/c; as we moved towards the cross arm the vtg a/c each disc goes on decreasing
- iii) The unit nearest to the conductor is under maximum electrical stress. And is likely to be punctured. Therefore means must be provided to equalise the potential a/c each unit
- iv) If the vtg impressed a/c the string were \bullet dc then vtg a/c each unit would be same it is bcz insulator capacitances are ineffective for dc

String Efficiency

As stated above the vtg applied a/c the string of suspension insulators is not uniformly distributed a/c various units or discs. The disc nearest to the conductor has much higher potential than other disc. This unequal potential distribution is undesirable & is usually expressed in string efficiency.

"The ratio of voltage across the whole string to the product of no. of discs and the voltage a/c the disc nearest to the conductor is known as string efficiency."

$$\text{String Efficiency} = \frac{\text{Voltage across the string} \times 100}{n \times \text{Voltage a/c disc nearest to conductor}}$$

$$\text{String Efficiency} = \frac{V}{3 \times V_3} \times 100$$

where $n =$ no. of discs in the string

String efficiency is an important consideration since it decides the potential distribution along the string. The greater the string efficiency, the more uniform is the voltage distribution. Thus 100% string efficiency is an ideal case for which the v/c a/c each disc will be exactly the same. Although it is impossible to achieve 100% efficiency, yet efforts should be made to improve it as close to this value as possible.

Imp Mathematical expression

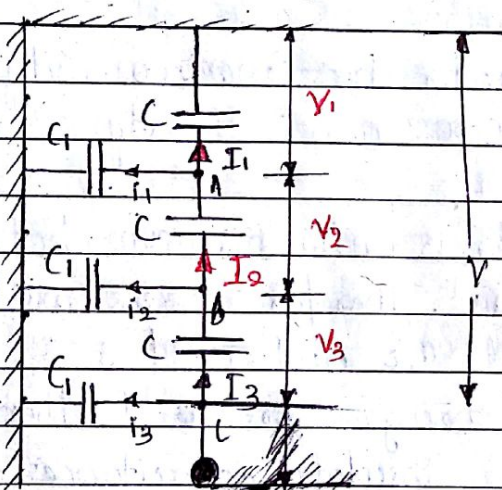


Fig 1.29

Fig 1.29 shows the equivalent ckt for a 3-disc string. Let us suppose that self capacitance of each disc is C . Let us further assume that shunt capacitance G_1 is sum fraction K of self capacitance, i.e. $G_1 = KC$. Starting the cross arm of tower the v/c a/c each unit is V_1, V_2 & V_3 resply as shown in fig 1.29.

Applying Kirchoff's Current Law (KCL) we get: $I_2 = I_1 + i_1$

$$V_2 \omega C = I_1 + i_1$$

$$V_2 \omega C = V_1 \omega C + V_1 \omega C_1$$

$$V_2 \omega C = V_1 \omega C + V_1 \omega \cdot KC$$

\therefore Current through capacitor = $\frac{\text{Voltage}}{\text{Capacitance}}$

$$I_2 = \frac{V_2}{X_C} = \frac{V_2}{\frac{1}{\omega C}} = V_2 \omega C$$

$$\therefore C_1 = KC$$

$$V_2 \omega C = V_1 \omega C (1+k)$$

$$V_2 = V_1 (1+k) \quad \text{--- (1.33)}$$

Applying KCL at B (node)

$$I_3 = I_2 + I_2$$

$$V_3 \omega C = V_2 \omega C + (Y_1 + Y_2) \omega C$$

$$V_3 \omega C = V_2 \omega C + (V_1 + V_2) \omega \cdot KC$$

$$V_3 \omega C = V_2 \omega C + V_1 \omega KC + V_2 \omega KC$$

$$V_3 = V_2 + (Y_1 + Y_2)k$$

$$= V_2 + kV_1 + kV_2$$

$$V_3 = V_2 (1+k) + kV_1$$

Substituting 1.33 in above eqⁿ

$$V_3 = kV_1 + V_1 (1+k)^2$$

$$V_3 = V_1 (k + (1+k)^2)$$

$$V_3 = V_1 (k + 1 + k^2 + 2k)$$

$$V_3 = V_1 (1 + 3k + k^2) \quad \text{--- (1.34)}$$

Voltage between conductor & earth or voltage between conductor & tower is 'V'

$$V = V_1 + V_2 + V_3$$

$$= V_1 + V_1 (1+k) + V_1 (1+3k+k^2)$$

$$= V_1 (1 + (1+k) + (1+3k+k^2))$$

$$= V_1 (1 + 1 + k + 1 + 3k + k^2)$$

$$= V_1 (k^2 + 4k + 3)$$

$$V = V_1 (1+k) (3+k) \quad \text{--- (1.35)}$$

From expressions 1.33, 1.34, & 1.35 we get

$$V_1 = \frac{V_2}{(1+k)} = \frac{V_3}{(1+3k+k^2)} = \frac{V}{(1+k)(3+k)} \quad \text{--- (1.36)}$$

\therefore 1.36 voltage a/c Top unit

$$V_1 = \frac{V}{(1+k)(3+k)}$$

Voltage a/c 2nd unit is

$$V_2 = V_1 (1+k)$$

Voltage a/c 3rd unit from Top

$$V_3 = V_1 (1 + 3k + k^2)$$

$$V_3 = V_1 (1 + 3k + k^2)$$

∴ Percentage String Efficiency

$$\begin{aligned} \text{String efficiency} &= \frac{\text{voltage a/c string}}{n \times \text{voltage a/c disc nearest to the cond'r}} \\ &= \frac{V}{3 \times V_3} \times 100 \end{aligned}$$

The follⁿ points are noted from the above mathematical analysis

1) if $k = 0.2$

(say), then from eqⁿ 1.33 we get

$$V_2 = 1.2 V_1$$

and

$$V_3 = 1.64 V_1$$

This clearly indicates that the disc nearest to cond^r has maximum voltage a/c it

The v_tg a/c other disc decreasing progressively as the cross mm approach

2) The greater the value of $(k = \frac{C_1}{C})$ the more non uniform is the potential a/c the discs and lesser in the string efficiency

3) The inequality in v_tg distribution increases with the increase of no. of discs in the string. ∴ shorter string has more efficiency than longer one

Important Points

While solving problems related the string efficiency the follⁿ points must be kept in my mind

1) The maximum v_tg a/c the disc occurs nearest to the cond^r i.e. (line cond^r)

2) The v_tg a/c the string is equal to phase v_tg. i.e. v_tg a/c string is equal to v_tg betⁿ line & earth is equal to $\frac{V}{\sqrt{3}}$

3) Line v_tg = $\sqrt{3}$ v_tg a/c string

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Method of Improving String Efficiency

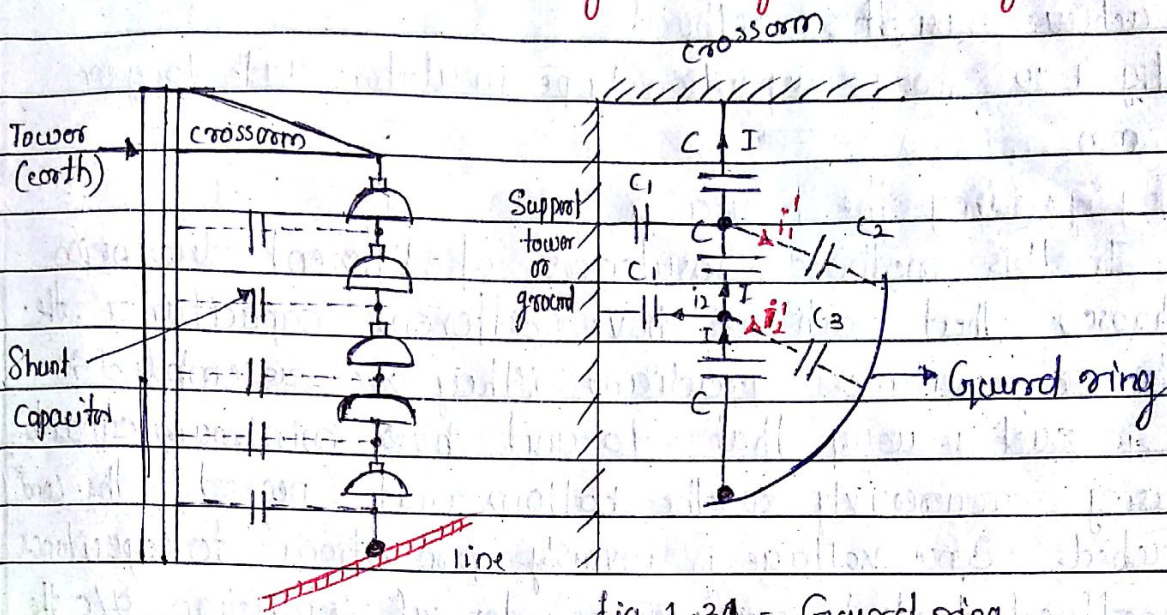


fig- 1-30 longer cross arm

fig 1-31 - Ground ring

It has been seen above that the potential distribution in a string of suspension insulators is not uniform the maximum vtg appears a/c the insulator nearest to the line conductor and decreases progressively as the cross arm is approached. If the insulation of the highest stressed insulator (ie nearest to conductor) breaks down or flash over takes place, the breakdown of other unit will take place in succession. This necessitates to equalise the potential a/c the various units of string i.e. to improve the string effⁿ. The various methods for this purpose are:

- I) By using longer cross arms
- ii) By Grading the insulator
- iii) By using Ground ring

I) By using longer cross arm

The value of string effⁿ depends upon the value of k i.e. i.e. ratio of shunt capacitance to the self capacitance. The lesser the value of k , greater is the string efficiency & more uniform is the vtg distribution. The value of k can be decreased by decreasing shunt capacitance. In order to reduce shunt capacitance, the distance of cond^r from tower must be increased i.e. longer cross arm should be used. However, limitations of cost & strength of tower do not allow the use

of very long cross arms. In practice $k=0.1$ is the limit that can be achieved by this method.

Fig 1.30 shows suspension type insulator with longer cross arm.

I) By grading the Insulator

In this method insulators of different dimension so chosen that each one have different capacitance. The insulator capacitance gradient if they are assembled in string in such a way that top unit have minimum capacitance increasing progressively as the bottom unit (nearest to the conductor) is reached. Since voltage is inversely proportional to capacitance - this method tends to equalize the potential distribution a/c the units in the string. This method has the disadvantage that a large no. of different size insulators are required however good results can be obtained by using std insulator for most of the string & longer unit for that near to the conductor.

III. Using Guard Ring

The potential a/c each unit in a string can be equalise by using a guard ring which is a metal ring which is electrically connected to the conductor and surrounding the bottom insulator as shown in fig-1.31. The guard ring introduce the capacitances betⁿ metal fitting or links and the cond^r. The Guard ring is counter in a such a way that shunt capacitance current i_1, i_2 etc. are equal to metal link line capacitance currents i_1', i_2' etc. the result is that same charging current I flows through each unit of the string consequently there will be uniform potential distribution a/c the each unit.

Problem (1.3). In A 33KV overhead line there are 3-units in the string of insulators. If the capacitance betⁿ each insulator pin & earth is 11% of self capacitance of each insulator find
i) The distribution over 3 insulators ii) string effⁿ

$$C_1 = kC$$

$$\therefore k = \frac{11\%}{100} = 0.11$$

$$n = 3 \text{ (no. of discs)}$$

$$\text{String voltage} = V_{\text{phase}} = \frac{V_{\text{line}}}{\sqrt{3}} = \frac{33\text{K}}{\sqrt{3}} = 19.052\text{KV}$$

$$\text{WKT } V_1 = \frac{V}{(1+k)(3+k)} = \frac{19.052\text{K}}{(1+0.11)(3+0.11)} \Rightarrow V_1 = 5.5189\text{KV}$$

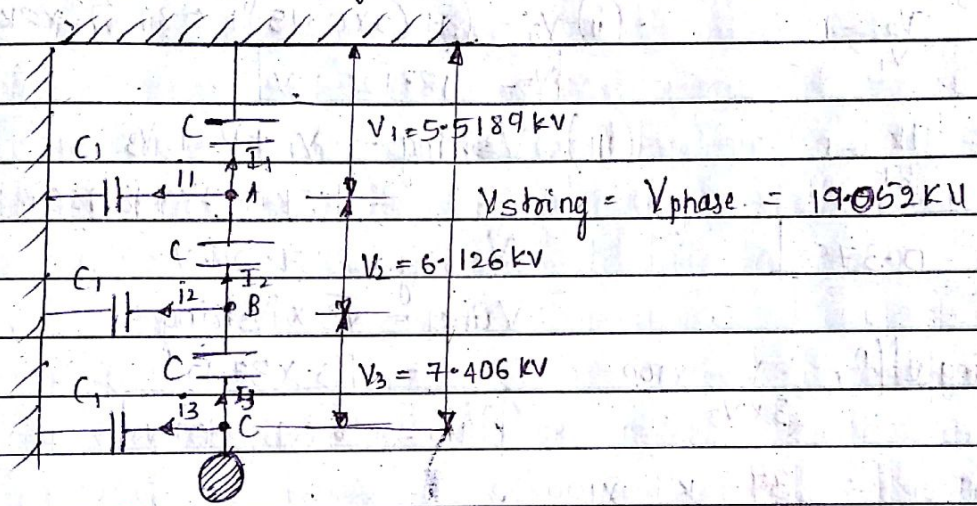
$$V_2 = V_1(1+k) = 5.5189\text{K}(1+0.11) \Rightarrow V_2 = 6.126\text{KV}$$

$$V_3 = V_1(1+3k+k^2) = 5.5189(1+(3 \times 0.11)+0.11^2) \Rightarrow V_3 = 7.406\text{KV}$$

$$\therefore \text{String efficiency} = \frac{V}{3 \times V_3} \times 100$$

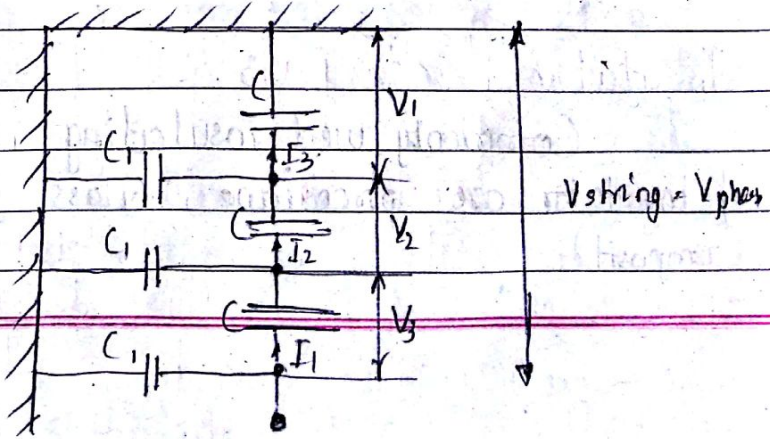
$$= \frac{19.052\text{K}}{3 \times 7.406\text{K}} \times 100$$

$$\therefore \text{String efficiency} = 85.75\%$$



Problem (1.4) A 3φ TL is being supported by 3 disc insulators. The potentials across top unit (i.e. near to the tower) and middle unit are 8KV and 11KV respectively. Calculate

- 1) The ratio of capacitance betn Pin and earth to the self-capacitance of each unit
- 2) Line voltage.
- 3) String efficiency



if we know that $V_2 = V_1(1+k)$

we have $V_1 = 8 \text{ kV}$

$V_2 = 11 \text{ kV}$

Given: $V_1 = 8 \text{ kV}$

$V_2 = 11 \text{ kV}$

Formula Used

$$C_1 = kC$$

$$V_2 = V_1(1+k)$$

$$V_3 = V_1(1+3k+k^2)$$

$$V_1 = \frac{V}{(1+k)(3+k)}$$

Solⁿ

$$(i) k = \frac{V_2 - V_1}{V_1}$$

$$= \frac{11 \text{ k} - 8 \text{ k}}{8 \text{ k}}$$

$$k = 0.375$$

$$(ii) V_3 = (1 + (3 \times 0.375) + 0.375^2) \times 8 \text{ k}$$

$$V_3 = 18.125 \text{ kV}$$

$$(iii) V_{\text{string}} = V_1 + V_2 + V_3$$

$$= 8 \text{ k} + 11 \text{ k} + 18.125 \text{ k}$$

$$V_{\text{string}} = 37.12 \text{ kV}$$

$$V_{\text{line}} = \sqrt{3} \times V_{\text{string}}$$

$$= \sqrt{3} \times 37.12$$

$$V_{\text{line}} = 64.30 \text{ kV}$$

$$(iv) \% \text{ String eff}^n = \frac{V}{3 \times V_3} \times 100$$

$$= \frac{37.12 \text{ k}}{3 \times 18.125 \text{ k}} \times 100$$

$$= 68.27 \%$$

$$\% \text{ String eff}^n = 68.27 \%$$

Ex - 8.3 Pg-172 V.K. mehta

8.4 Pg-173

8.6 Pg-179 V.K. mehta

1.30. Insulator Materials

Commonly used insulating materials satisfying properties of insulator are porcelain, glass, synthetic resin, and polymer (composit)

1) Porcelain Material.

This is the most commonly used for the insulators it is a silamic material made of clay and permanently hardened by heat it is manufactured by china clay the plastic clay is mixed with silicon and field spar, the fine powdered mixture of clay silicon and field spar is processed in mills it is heated at the controlled temperature. It has given a particular shape and is covered with glaze (shiny) the cast iron with galvanizing is used for metal parts inside the insulators the porcelain is free from cracks, holes, laminations etc its insulation resistance is very high.

Porcelain is heated at temperature such that the insulators become mechanically strong & it also remains non porous the rough surface catches the dust and moisture very quickly hence it is important to provide glazed surfaces to the insulators, so that it remains clean from moisture & dust.

The dielectric strength of porcelain insulators is 60 kV/cm

Glass

The Glass is also used instead of porcelain

The Glass is made tough by heat treatment which is called annealing.

Glass has following advantages

- 1) It is transparent
- 2) The dielectric strength is very high
- 3) Low coefficient of thermal expansion
- 4) And hence less affected by temperature changes.
- 5) Cheaper than porcelain
- 6) Resistivity is very high
- 7) Simple design is possible
- 8) Higher compressive strength than porcelain.

Disadvantages

- 1) Less strong than porcelain
- 2) Can't be moulded in irregular shape.
- 3) There is change of moisture condensation on the surface

Synthetic Resin

These are manufactured from compounds of silicon, rubber and resin etc

Advantages

- 1) High tensile strength
- 2) Comparitively cheaper
- 3) Light weight

Disadvantages

- 1) Short life
- 2) Used in indoor applications
- 3)

Proble (1.5) Each line of 3 ϕ system is supported by a string of 3 similar insulators if the vty. a/c line units is 17.5KV calculate the line neutral voltage. Assume that shunt capacitance of betⁿ each insulator and earth is $\frac{1}{8}$ th of the capacitance of insulator itself also find the string efficiency.

$$C_1 = KC$$

$$\therefore K = \frac{1}{8} = 0.125$$

$$\text{voltage a/c last unit} = V_3 = 17.5 \text{KV}$$

Formula used

$$V_3 = V_1 (1 + 3K + K^2)$$

$$V_2 = V_1 (1 + K)$$

$$\therefore V_3 = V_1 (1 + 3K + K^2)$$

$$\therefore V_1 = \frac{V_3}{(1 + 3K + K^2)}$$

$$= \frac{17.5 \text{K}}{(1 + (3 \times 0.125) + 0.125^2)}$$

$$V_1 = 12.584 \text{KV}$$

$$V_2 = V_1 (1 + K)$$

$$= 12.584 \text{K} (1 + 0.125)$$

$$V_2 = 14.16 \text{KV}$$

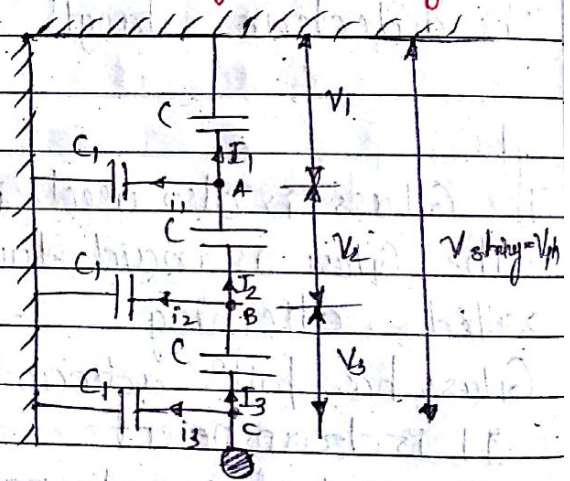
Voltage a/c line to earth (ie line to neutral) = $V = V_1 + V_2 + V_3$

$$\therefore V = 12.548 \text{K} + 14.16 \text{K} + 17.5 \text{K}$$

$$V = 44.21 \text{KV}$$

$$\therefore \text{String efficiency} = \frac{V}{n \times V_3} \times 100$$

$$= \frac{44.21 \text{K}}{3 \times 17.5 \text{K}} \times 100 = 84.2\%$$



Problem (1-6) The three busbars conductors in outdoor substation are supported by units of post type insulators each unit consist of stack of 3 pin insulators fixed on top of other. The voltage a/c lowest insulator is 13.1kV at that a/c next unit is 11kV find busbar v_g of station

Given $V_2 = 11\text{KV}$ and $V_3 = 13.1\text{KV}$

let k be the ratio of shunt 'c' to self 'c'

we have $V_2 = V_1(1+k)$

$$V_3 = V_1(1+3k+k^2)$$

or

$$V_3 = V_2 + (V_1 + V_2)k$$

$V_3 =$ substituting V_1 value in above eqⁿ

$$V_3 = V_2 + \left(\frac{V_2}{1+k} + V_2 \right) k$$

$$V_3 = \frac{V_2(1+k) + (V_2 + V_2(1+k))k}{(1+k)}$$

$$(1+k)V_3 = V_2(1+k) + (V_2 + V_2(1+k))k$$

$$= V_2((1+k) + k + (k+k^2))$$

$$= V_2(1+k+k+k+k^2)$$

$$= V_2(k^2 + 3k + 1)$$

$$(13.1\text{KV})(1+k) = 11\text{KV}(k^2 + 3k + 1)$$

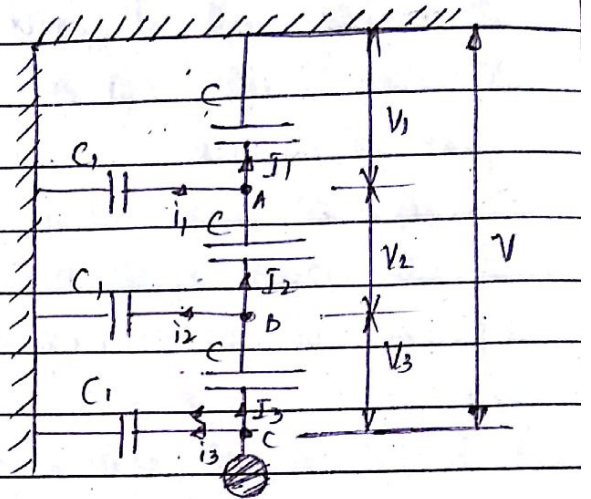
$$11k^2 + 19.9k - 2.1 = 0$$

$$\therefore k = 0.1$$

$$V_1 = \frac{V_2}{1+k} = \frac{11}{1+0.1} = 10\text{KV}$$

Voltage betⁿ line and earth = $V_1 + V_2 + V_3 = 10 + 11 + 13.1 = 34.1\text{KV}$

\therefore Voltage betⁿ busbars (i.e. line voltage) = $34.1 \times \sqrt{3}\text{KV} = 59\text{KV}$



Problem (1-7) A string of 4 insulators has self capacit equal to 10 times the pin to earth capacitance. Find (i) The voltage distribution a/c various units expressed as percentage of total v_g % the string and (ii) string efficiency.